I Year I Semester L T P C 17MA101 3 1 0 3

#### **MATHEMATICS-I**

### **Course Objectives:**

- 1. The course is designed to equip the students with the necessary mathematical skills and techniques that are essential for an engineering course.
- 2. The skills derived from the course will help the student from a necessary base to develop analytic and design concepts.

#### Course Outcomes: At the end of the Course, Student will be able to:

- 1. Develop the ability to solve linear differential equations of first order and use the knowledge gain to certain engineering problems.
- 2. Develop the ability to solve linear differential equations of higher order and use the knowledge gain to certain engineering problems
- 3. Compute the improper integrals using Beta and Gamma functions.
- 4. Apply techniques of multivariable differential calculus to determine the extreme and series expansions etc. of the functions of several variables.
- 5. Develop the ability to form partial differential equations and solve the partial differential equations of first order
- 6. Identify/ classify and solve the different types of partial differential equations of higher order.

# **UNIT I: Differential equations of first order and first degree:**

Linear-Bernoulli-Exact-Reducible to exact Applications: Newton's Law of cooling-Law of natural growth and decay orthogonal trajectories- Electrical circuits- Chemical reactions.

### **UNIT II: Linear differential equations of higher order:**

Non-homogeneous equations of higher order with constant coefficients with RHS term of the type  $e^{ax}$ ,  $\sin ax$ ,  $\cos ax$ , polynomials in x,  $e^{ax}V \Box x \Box$ ,  $xV \Box x \Box$  - Method of Variation of parameters Applications: LCR circuit, Simple Harmonic motion.

## **UNIT III: Special functions:**

Beta and Gamma functions- Properties - Relation between Beta and Gamma functions- Evaluation of improper integrals Applications: Evaluation of integrals

## **UNIT IV: Partial differentiation:**

Introduction- Homogeneous function-Euler's theorem-Total derivative-Chain rule-Taylor's and Mc Laurin's series expansion of Functions of two variables—Functional dependence- Jacobian Applications: Maxima and Minima of functions of two variables without constraints and Lagrange's method (with constraints)

### **UNIT V: First order Partial differential equations:**

Formation of partial differential equations by elimination of arbitrary constants and arbitrary functions —solutions of first order linear (Lagrange) equation and nonlinear (standard types) equations

## **UNIT VI: Higher order Partial differential equations:**

Solutions of Linear Partial differential equations with constant coefficients, RHS term of the type  $e^{ax \Box by}$ ,  $\sin \Box ax \quad by \Box$ ,  $\cos \Box ax \quad by \Box$ ,  $x^n y^n$  Classification of second order partial differential equations.

### **Text Books:**

- 1. **B.S.Grewal,** Higher Engineering Mathematics, 43rd Edition, Khanna Publishers.
- 2. T.K.V.Iyengar, B.Krishna Gandhi, S.Ranganathan, M.V.S.S.N.Prasad, Engineering Mathematics (Volume-I), S Chand Publications

#### **Reference Books:**

- 1. **Erwin Kreyszig,** Advanced Engineering Mathematics, 10th Edition, Wiley-India
- 2. **Micheael Greenberg,** Advanced Engineering Mathematics, 9th edition, Pearson edn
- 3. **Dean G. Duffy,** Advanced engineering mathematics with MATLAB, CRC Press
- 4. Peter O'neil, Advanced Engineering Mathematics, Cengage Learning.
- 5. **Srimanta Pal, Subodh C.Bhunia**, Engineering Mathematics, Oxford University Press.
- 6. **Dass H.K., Rajnish Verma. Er.,** Higher Engineering Mathematics, S. Chand Co. Pvt. Ltd. Delhi.